TECHNISCHE UNIVERSITÄT MÜNCHEN FAKULTÄT FÜR INFORMATIK



#### **Programming Languages**

Concurrency: Atomic Executions, Locks and Monitors

Dr. Michael Petter Winter 2019

# Why Memory Barriers are not Enough



Often, *multiple memory locations* may only be modified exclusively by one thread during a computation.

- use barriers to implement automata that ensure *mutual exclusion*
- → generalize the re-occurring *concept* of enforcing mutual exclusion

# Why Memory Barriers are not Enough



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- use barriers to implement automata that ensure mutual exclusion
- ---- generalize the re-occurring *concept* of enforcing mutual exclusion

Needed: interaction with *multiple memory locations* within a *single step*:



#### **Atomic Executions**

A concurrent program consists of several threads that share *resources*:

- resources can be memory locations or memory mapped I/O
  - ► a file can be modified through a shared handle, e.g.
- usually invariants must be retained wrt. resources
  - e.g. a head and tail pointer must delimit a linked list
  - an invariant may span multiple resources
  - during an update, the invariant may be temporarily locally broken
- ---- multiple resources must be updated together to ensure the invariant



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#### **Definition (Atomic Execution)**

A computation forms an *atomic execution* if its effect can only be *observed* as a single transformation on the memory.

#### **Overview**

We will address the *established* ways of managing synchronization. The presented techniques

- are available on most platforms
- likely to be found in most existing (concurrent) software
- provide solutions to common concurrency tasks
- are the source of common concurrency problems

The techniques are applicable to C, C++ (pthread), Java, C# and other imperative languages.

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#### **Learning Outcomes**

- Principle of Atomic Executions
- Wait-Free Algorithms based on Atomic Operations
- Locks: Mutex, Semaphore, and Monitor
- Deadlocks: Concept and Prevention

**Wait-Free Atomic Executions** 



Which operations on a CPU are atomic? (j,k and tmp are registers)

Program 1	
i++;	

Program 2			
j i	= i; = i+k	ς;	

Program 3	
int	<pre>tmp = i;</pre>
i =	j;
j =	<pre>tmp;</pre>



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- All of the programs *can* be made atomic executions (e.g. on x86):
  - i must be in memory
  - Idea: lock the cache bus for an address for the duration of an instruction



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	Program 2 (fetch-and-add)	
Program 1		Program 3 (atomic-exchange)
lock inc [addr_i]	<pre>mov eax,reg_k lock xadd [addr_i],eax</pre>	<pre>lock xchg [addr_i],reg_j</pre>
	mov reg_j,eax	

#### Wait-Free Bumper-Pointer Allocation



Garbage collectors often use a *bumper pointer* to allocated memory:

#### **Bumper Pointer Allocation**

```
char heap[1<<20];
char* firstFree = &heap[0];
char* alloc(int size) {
   char* start = firstFree;
   firstFree = firstFree + size;
   if (start+size>sizeof(heap)) garbage_collect();
   return start;
}
```

- firstFree points to the first unused byte
- each allocation reserves the next size bytes in heap

#### Wait-Free Bumper-Pointer Allocation



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#### **Bumper Pointer Allocation**

• firstFree points to the first unused byte

• each allocation reserves the next size bytes in heap Thread-safe implementation:

alloc's core functionality matches Program 2: fetch-and-add
 inline assembler (GCC/AT&T syntax in the example)

#### **Marking Statements as Atomic**



Rather than writing assembler: use *made-up* keyword atomic:

Program 1	
atomic { i++; }	

Program 2	
<pre>atomic {     j = i;     i = i+k; }</pre>	



#### **Marking Statements as Atomic**



Rather than writing assembler: use *made-up* keyword atomic:



Program 3	
atomic {	
<pre>int tmp = i;</pre>	
i = j;	
j = tmp;	
}	

The statements in an **atomic** block execute as *atomic execution*:



#### **Marking Statements as Atomic**



Rather than writing assembler: use *made-up* keyword atomic:



The statements in an **atomic** block execute as *atomic execution*:



• atomic only translatable when a corresponding atomic CPU instruction exist

• the notion of requesting *atomic execution* is a general concept

#### Wait-Free Synchronization

Wait-Free algorithms are limited to a single instruction:

- no control flow possible, no behavioral change depending on data
- often, there are instructions that execute an operation conditionally



Operations *update* a memory cell and *return* the previous value.

- the first two operations can be seen as setting a flag **b** to  $v \in \{0, 1\}$  and returning its previous state.
  - the operation implementing programs 4 and 5 is called set-and-test
- the third case generalizes this to setting a variable i to the value of j, if i's old value is
  equal to k's.
  - the operation implementing program 6 is called compare-and-swap



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- the third case generalizes this to setting a variable i to the value of j, if i's old value is
  equal to k's.
  - the operation implementing program 6 is called compare-and-swap
- → use as *building blocks* for algorithms that can *fail*





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Common usage pattern for *compare and swap*:

- read the initial value in i into k (using memory barriers)
- 2 compute a new value j = f(k)
- **(a)** update *i* to *j* if i = k still holds
- go to first step if  $i \neq k$  meanwhile

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#### General recipe for lock-free algorithms

- given a compare-and-swap operation for n bytes
- try to group variables for which an invariant must hold into n bytes
- read these bytes atomically
- compute a new value
- perform a compare-and-swap operation on these n bytes

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~> computing new value must be *repeatable* or *pure* 

# Limitations of Wait- and Lock-Free Algorithms



Wait-/Lock-Free algorithms are severely limited in terms of their computation:

- restricted to the semantics of a single atomic operation
- set of atomic operations is architecture specific, but often includes
  - exchange of a memory cell with a register
  - compare-and-swap of a register with a memory cell
  - fetch-and-add on integers in memory
  - modify-and-test on bits in memory
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→ Lock-Free instructions as *building blocks* for *Locks* 

**Locked Atomic Executions** 

# Locks

**Definition (Lock)** 



- A lock is a data structure that
  - can be *acquired* and *released*
  - ensures mutual exclusion: only one thread may hold the lock at a time
  - blocks other threads attempts to acquire while held by a different thread
  - protects a *critical section*: a piece of code that may produce incorrect results when entered concurrently from several threads



#### **Semaphores and Mutexes**



A (counting) *semaphore* is an integer s with the following operations:

```
void signal(int *s) {
    atomic { *s = *s + 1; }
}
```

```
void wait(int *s) {
   bool avail;
   do {
      atomic {
         avail = *s>0;
         if (avail) (*s)--;
      }
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A counting semaphore can track how many resources are still available.

- a thread acquiring a resource executes wait()
- if a resource is still available, wait() returns
- once a thread finishes using a resource, it calls signal() to release

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Special case: initializing with s = 1 gives a *binary* semaphore:

- can be used to block and unblock a thread
- can be used to protect a single resource
- → in this case the data structure is also called *mutex*

#### **Implementation of Semaphores**

A *semaphore* does not have to wait busily:

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void signal(int *s) {
    atomic { *s = *s + 1; }
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Busy waiting is avoided:

- a thread failing to decrease \*s executes de\_schedule()
- de\_schedule() enters the operating system and inserts the current thread into a queue of threads that will be woken up when \*s becomes non-zero, usually by *monitoring writes* to s (~> FUTEX\_WAIT)
- once a thread calls wake(s), the first thread t waiting on s is extracted
- the operating system lets t return from its call to de\_schedule()


# **Practical Implementation of Semaphores**



Certain optimisations are possible:

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In general, the implementation is more complicated

- wait() may busy wait for a few iterations
  - avoids de-scheduling if the lock is released frequently
  - better throughput for semaphores that are held for a short time
- wake(s) informs the scheduler that s has been written to

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 $\leadsto$  using a semaphore with a single core reduces to

if (\*s) (\*s)--; /\* critical section \*/ (\*s)++;

#### **Mutexes**



One common use of semaphores is to guarantee mutual exclusion.

- $\rightsquigarrow$  in this case, a binary semaphore is also called a *mutex*
- e.g. add a lock to the double-ended queue data structure
- △ decide what needs protection and what not



Often, a data structure can be made thread-safe by

- *acquiring* a lock upon *entering* a function of the data structure
- *releasing* the lock upon *exit* from this function



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Locking each procedure body that accesses a data structure:

- is a re-occurring pattern, should be generalized
- becomes problematic in recursive calls: it blocks
- **E.g.** a thread t waits for a data structure to be filled
  - t will call pop() and obtain -1
  - t then has to call again, until an element is available
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*Monitor*: a mechanism to address these problems:



- a procedure associated with a monitor acquires a lock on entry and releases it on exit
- If that lock is already taken by the current thread, proceed



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*Monitor*: a mechanism to address these problems:



- a procedure associated with a monitor acquires a lock on entry and releases it on exit
- If that lock is already taken by the current thread, proceed
- $\rightsquigarrow$  we need a way to release the lock after the return of the last recursive call



#### Implementation of a Basic Monitor



A monitor contains a semaphore count and the id tid of the occupying thread:

```
typedef struct monitor mon_t;
struct monitor { int tid; int count; };
void monitor_init(mon_t* m) { memset(m, 0, sizeof(mon_t)); }
```

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```
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void monitor_init(mon_t* m) { memset(m, 0, sizeof(mon_t)); }
Define monitor_enter and monitor_leave:
```

ensure mutual exclusion of accesses to mon\_t

• track how many times we called a monitored procedure recursively

```
void monitor enter(mon t *m) {
  bool mine = false:
  while (!mine) {
    mine = thread_id()==m->tid:
    if (mine) m->count++; else
    atomic {
      if (m->tid==0) {
        m->tid = thread_id():
        mine = true; m->count=1;
    } }:
    if (!mine) de schedule(&m->tid):
```

} }

```
void monitor_leave(mon_t *m) {
    m->count--;
    if (m->count==0) {
        atomic {
            m->tid=0;
        }
        wake(&m->tid);
    }
}
```

#### **Condition Variables**

 $\checkmark$  Monitors simplify the construction of thread-safe resources. Still: Efficiency problem when using resource to synchronize:

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Idea: create a *condition variable* on which to block while waiting:

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struct monitor { int tid; int count; int cond; int cond2;... };
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struct monitor { int tid; int count; int cond; int cond2;... };

Define these two functions:

#### wait for the condition to become true

- called while being *inside* the monitor
- temporarily releases the monitor and blocks
- when signalled, re-acquires the monitor and returns
- Isignal waiting threads that they may be able to proceed
  - one/all waiting threads that called *wait* will be woken up, two possibilities:

*signal-and-urgent-wait* : the *signalling* thread suspends and continues once the *signalled* thread has released the monitor

*signal-and-continue* the *signalling* thread continues, any *signalled* thread enters when the monitor becomes available

### Signal-And-Urgent-Wait Semantics



Requires one queue for each condition *c* and a suspended queue *s*:



- a thread who tries to enter a monitor is added to queue *e* if the monitor is occupied
- a call to wait on condition *a* adds thread to the queue *a.q*
- a call to signal for *a* adds thread to queue *s* (suspended)
- one thread from the *a* queue is woken up
- signal on *a* is a no-op if *a.q* is empty
- if a thread leaves, it wakes up one thread waiting on *s*
- if *s* is empty, it wakes up one thread from *e*

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- signal on *a* is a no-op if *a.q* is empty
- if a thread leaves, it wakes up one thread waiting on *s*
- if *s* is empty, it wakes up one thread from *e*
- $\rightsquigarrow$  queue s has priority over e

## **Signal-And-Continue Semantics**

Here, the signal function is usually called notify.



- a call to wait on condition *a* adds thread to the queue *a*.*q*
- a call to notify for *a* adds one thread from *a.q* to *e* (unless *a.q* is empty)
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# **Signal-And-Continue Semantics**

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- if a thread leaves, it wakes up one thread waiting on *e*
- $\rightsquigarrow$  signalled threads compete for the monitor
  - assuming FIFO ordering on *e*, threads who tried to enter between wait and notify will run first
  - need additional queue *s* if waiting threads should have priority

### **Implementing Condition Variables**



We implement the simpler *signal-and-continue* semantics for a single condition variable:

→ a notified thread is simply woken up and competes for the monitor

```
void cond wait(mon t *m) {
  assert(m->tid==thread id()):
  int old_count = m->count;
  m \rightarrow tid = 0;
  wait(&m->cond);
  bool next_to_enter:
  do {
    atomic {
      next_to_enter = m->tid==0:
      if (next_to_enter) {
        m->tid = thread_id():
        m->count = old_count:
      }
    ን
    if (!next_to_enter) de_schedule(&m->tid);
  } while (!next to enter):}
```

```
void cond_notify(mon_t *m) {
    // wake up other threads
    signal(&m->cond);
}
```

### A Note on Notify



With *signal-and-continue* semantics, two notify functions exist:

notify: wakes up exactly one thread waiting on condition variable
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An implementation often becomes easier if notify means notify some

~ programmer should assume that thread is not the only one woken up

# Monitors with a Single Condition Variable



Monitors with a single condition variable are built into Java and C#:



```
class C {
  public synchronized void f() {
    // body of f
  }}
is equivalent to
class C {
  public void f() {
    monitor_enter(this);
    // body of f
    monitor_leave(this);
  }}
with Object containing:
  private int mon_var;
  private int mon_count;
  private int cond_var;
  protected void monitor_enter();
  protected void monitor_leave();
```

Deadlocks

# **Deadlocks with Monitors**

#### **Definition (Deadlock)**

A deadlock is a situation in which two processes are waiting for the respective other to finish, and thus neither ever does.

(The definition generalizes to a set of actions with a cyclic dependency.)



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(The definition generalizes to a set of actions with a cyclic dependency.) Consider this Java class:

```
class Foo {
  public Foo other = null;
  public synchronized void bar() {
    ... if (*) other.bar(); ...
  }
}
```

and two instances:

```
Foo a = new Foo(), b = new Foo();
a.other = b; b.other = a;
// in parallel:
a.bar() || b.bar();
```

Sequence leading to a deadlock:

- threads A and B execute a.bar() and b.bar()
- a.bar() acquires the monitor of a
- b.bar() acquires the monitor of b
- A happens to execute other.bar()
- A blocks on the monitor of b
- *B* happens to execute other.bar()
- ~> both *block* indefinitely



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- A blocks on the monitor of b
- *B* happens to execute other.bar()
- → both *block* indefinitely

How can this situation be avoided?



#### **Treatment of Deadlocks**

Observation: Deadlocks occur if the following four conditions hold [Coffman et al.(1971)Coffman, Elphick, and Shoshani]:

- mutual exclusion: processes require exclusive access
- wait for: a process holds resources while waiting for more
- o preemption: resources cannot be taken away form processes
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- ignored: for the lack of better approaches, can be reasonable if deadlocks are rare
- detection: check within OS for a cycle, requires ability to preempt
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- oprevention: design programs to be deadlock-free
- avoidance: use additional information about a program that allows the OS to schedule threads so that they do not deadlock
- → *prevention* is the only safe approach on standard operating systems
  - can be achieved using *lock-free* algorithms
  - but what about algorithms that require locking?

# **Deadlock Prevention through Partial Order**



Observation: A cycle cannot occur if locks are *partially ordered*.

#### **Definition (lock sets)**

Let *L* denote the set of locks. We call  $\lambda(p) \subseteq L$  the lock set at *p*, i.e. the set of locks that may be in the "acquired" state at program point *p*.

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Each time a lock is acquired, we track the lock set at *p*:

#### **Definition (lock order)**

Define  $\triangleleft \subseteq L \times L$  such that  $l \triangleleft l'$  iff  $l \in \lambda(p)$  and the statement at p is of the form wait(1') or monitor\_enter(1'). Define the lock order  $\prec = \triangleleft^+$ .

#### **Freedom of Deadlock**

The following holds for a program with mutexes and monitors:

#### Theorem (freedom of deadlock)

If there exists no  $a \in L$  with  $a \prec a$  then the program is free of deadlocks.

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Suppose a program blocks on semaphores (mutexes)  $L_S$  and on monitors  $L_M$  such that  $L = L_S \cup L_M$ .

#### Theorem (freedom of deadlock for monitors)

If  $\forall a \in L_S . a \not\prec a$  and  $\forall a \in L_M, b \in L . a \prec b \land b \prec a \Rightarrow a = b$  then the program is free of deadlocks.



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Note: the set *L* contains *instances* of a lock.

- the set of lock instances can vary at runtime
- if we statically want to ensure that deadlocks cannot occur:
  - summarize every lock/monitor that may have several instances into one
  - ▶ a summary lock/monitor  $\bar{a} \in L_M$  represents several concrete ones
  - thus, if  $\bar{a} \prec \bar{a}$  then this might not be a self-cycle
- $\rightsquigarrow$  require that  $\bar{a} \not\prec \bar{a}$  for all summarized monitors  $\bar{a} \in L_M$



# Inferring locksets and lockset order in practice

#### $\triangle$ fix a representation for locksets

 $\rightsquigarrow$  in our case: L comprises all lines, where any object is created.

0:	Foo <mark>a</mark> :	= new Fo	o();	8	: void $bar(\texttt{this})$ {		
1:	Foo b	= new Fo	o();	9	monitor_enter(this);		
2:	a.other	= b;		10	: if (*) {		
3:	b.other	= a;		11			
4:				12	bar(&other);		
5:				13			
6:	bar( <b>&amp;a</b> )	;    bar	(&b);	14	: }		
7:			<pre>15: monitor_leave(this);</pre>				
				16	: }		
ock	order	$\triangleleft$					



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|--|--|

### Inferring locksets and lockset order in practice





Lockorder	$\triangleleft$	
-----------	-----------------	--




Lockorder	$\triangleleft$	
-----------	-----------------	--









Lockorder	$\triangleleft$	
-----------	-----------------	--





# **Avoiding Deadlocks in Practice**



Mhat to do when the lock order contains a cycle?

- determining which locks may be acquired at each program point is undecidable
   lock sets are an approximation
- an array of locks in  $L_S$ : lock in increasing array index sequence
- if *l* ∈ λ(*P*) exists *l'* ≺ *l* is to be acquired
   ⇔ change program: release *l*, acquire *l'*, then acquire *l* again
   ▲ inefficient
- if a lock set contains a summarized lock  $\bar{a}$  and  $\bar{a}$  is to be acquired, we're stuck

Locks Roundup

## **Atomic Execution and Locks**

Consider replacing the specific locks with **atomic** annotations:

#### stack: removal

```
void pop() {
  . . .
  wait(&q->t);
  . . .
  if (*) { signal(&q->t); return; }
  . . .
  if (c) wait(&q ->s);
  . . .
  if (c) signal(&q->s);
  signal(&q->t);
}
```

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7
```

- nested atomic blocks still describe one atomic execution
- $\rightsquigarrow$  locks convey additional information over  ${\tt atomic}$ 
  - locks cannot easily be recovered from atomic declarations

#### Outlook



Writing **atomic** annotations around sequences of statements is a convenient way of programming.

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*Idea of mutexes:* Implement atomic sections with locks:

- a single lock could be used to protect all atomic blocks
- more concurrency is possible by using several locks
- statements in one atomic block might access variables in a different order to another atomic block 

   → deadlock possible with locks implementation
- creating too many locks can decrease the performance, especially when required to release locks in  $\lambda(l)$  when acquiring l

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- creating too many locks can decrease the performance, especially when required to release locks in  $\lambda(l)$  when acquiring l

 $\leadsto$  creating locks automatically is non-trivial and, thus, not standard in programming languages

## **Concurrency across Languages**

In most systems programming languages (C,C++) we have

- the ability to use *atomic* operations
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- provide monitors and possibly other concepts
- often simplify the programming but incur the same problems



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language	barriers	wait-/lock-free	semaphore	mutex	monitor
C,C++	$\checkmark$	$\checkmark$	$\checkmark$	$\checkmark$	(a)
Java,C#	-	(b)	(C)	$\checkmark$	$\checkmark$

- (a) some pthread implementations allow a reentrant attribute
- (b) newer API extensions ( java.util.concurrent.atomic.\* and System.Threading.Interlocked resp.)
- (c) simulate semaphores using an object with two synchronized methods

# Summary

Classification of concurrency algorithms:

- wait-free, lock-free, locked
- next on the agenda: transactional

*Wait-free* algorithms:

- never block, always succeed, never deadlock, no starvation
- very limited in expressivity

Lock-free algorithms:

- never block, may fail, never deadlock, may starve
- invariant may only span a few bytes (8 on Intel)

Locking algorithms:

- can guard arbitrary code
- can use several locks to enable more fine grained concurrency
- may deadlock
- semaphores are not re-entrant, monitors are
- $\rightsquigarrow$  use algorithm that is best fit

#### References



 E. G. Coffman, M. Elphick, and A. Shoshani. System deadlocks.
 ACM Comput. Surv., 3(2):67–78, June 1971. ISSN 0360-0300.

 T. Harris, J. Larus, and R. Rajwar. Transactional memory, 2nd edition. Synthesis Lectures on Computer Architecture, 5(1):1–263, 2010.